

CLAIMS:

1. A parametric encoder (100, 100') for encoding an audio or speech signal s into sinusoidal code data, comprising:

- a segmentation unit (110, 110') for segmenting said signal s into at least one segment $x(n)$;
- a calculation unit (120, 120') for calculating said sinusoidal code data in the form of the

5 phase and amplitude data of a given extension $\hat{x}(n)$ from the segment $x(n)$ such that the extension $\hat{x}(n)$ approximates the segment $x(n)$ as good as possible for a given criterion ; characterised in that

the calculation unit (120, 120') is adapted to calculate the sinusoidal code data θ_k^i, d_j^i and e_j^i for the following extension \hat{x} :

$$10 \quad \hat{x} = \sum_{i=1}^L Ci = \sum_{i=1}^L \sum_{j=0}^{J-1} [d_j^i f_j(n) \cos(\Theta^i(n)) + e_j^i f_j(n) \sin(\Theta^i(n))]$$

with

$$\Theta^i(n) = \sum_{k=1}^{K-1} \theta_k^i n^k$$

wherein:

i, j, k : represent parameters;

15 n : represents a discrete time parameter;

Ci : represents the i 'th component of the extension \hat{x} ;

θ_k^i : represents the phase coefficient as one of said sinusoidal data

f_j : represents the j th instance out of the set of J linearly independent functions;

20 Θ^i : is a phase; and

d_j^i, e_j^i : represent the linearly involved amplitude values of the components representing parts of said sinusoidal data.

2. The parametric encoder according to claim 1, characterised in that $f_j(n) = n^j$.

3. The parametric encoder according to claim 1, characterised in that the calculation unit (120) comprises:

- a frequency estimation unit (122) for determining a plurality of $L \times K$ phase coefficients θ_k^i with $i=1-L$ and $k=1-K$ for all components C_i of the extension $\hat{x}(n)$ representing the received segment $x(n)$;
- a pattern generating unit (124) for calculating a plurality of L phases $\Theta^i(n)$ with $i=1-L$ from the phase coefficients θ_k^i according to:

$$\Theta^i(n) = \sum_{k=1}^{K-1} \theta_k^i n^k$$

and for generating a plurality of $J \times L$ pairs of patterns p_{ij}^1, p_{ij}^2 for the components C_i with $i=1-L$ according to:

$$p_{ij}^1 = f_j(n) \cos(\Theta^i(n)) \text{ and } p_{ij}^2 = f_j(n) \sin(\Theta^i(n))$$

- for $i = 1-L$ and $j = 0-(J-1)$; and

- an amplitude estimation unit (126) for determining a plurality of $J \times L$ amplitudes d_j^i for the patterns p_{ij}^1 and a plurality of $J \times L$ amplitudes e_j^i for the patterns p_{ij}^2 of all components C_i of the extension \hat{x} ;

- wherein the sinusoidal data θ_k^i , d_j^i and e_j^i is at least approximately optimised for the criterion that the weighted squared error E between the segment x and its extension \hat{x} is minimised.

4. The parametric encoder according to claim 1, characterised by a multiplexer (130) for merging said sinusoidal code data into a data stream.

5. The parametric encoder according to claim 1, characterised in that the calculation unit (120') comprises:

- a frequency estimation unit (122') for determining a plurality of K phase coefficients θ_k^i with $k=1-K$ for the component C_i from an input value ε_{i-1} ; wherein for the first component C_1 with $i=1$ the input value is set to $\varepsilon_0 = x(n)$;

- a pattern generating unit (124') for calculating the phases Θ^i for the component C_i from said plurality of phase coefficients θ_k^i according to:

$$\Theta^i(n) = \sum_{k=1}^K \theta_k^i n^k$$

and for generating a plurality of $2 \times J$ patterns p_y^1, p_y^2 with $j=1-J$ for the component C_i with:

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$$p_y^1 = j(n) \cos(\Theta^i(n)) \text{ and } p_y^2 = f_j(n) \cos(\Theta^i(n));$$

- an amplitude estimation unit (126') for determining a plurality of J amplitudes d_j^1 and of J amplitudes e_j' for said patterns of the component C_i from the received segment $x(n)$ and

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from the received plurality of patterns p_y^1, p_y^2 ;

- a synthesiser (128') for re-constructing the component C_i from said plurality of $2 \times J$ patterns p_y^1, p_y^2 and from the plurality of amplitudes d_j^1 and e_j' according to:

$$C_i = \sum_{j=0}^{J-1} [d_j^1 f_j(n) \cos(\Theta^i(n)) + e_j' f_j(n) \sin(\Theta^i(n))]$$

15 and

- a subtraction unit (129') for subtracting said component C_i from the input value ε_{i-1} in order to feed the resulting difference ε_i as new input value forward to the input of the frequency estimation unit (122') for calculating the sinusoidal code data representing the component C_{i+1} ;

20 wherein the sinusoidal data θ_k^i, d_j^1 and e_j' is optimised for the criterion that the weighted squared error E between the segment x and the extension \hat{x} is minimised.

6. A parametric coding method for encoding an audio or speech signal s into sinusoidal code data, comprising the steps of:

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- segmenting the signal s into at least one segment $x(n)$; and
- calculating said sinusoidal code data in the form of phase and amplitude data of a given extension \hat{x} from the segment $x(n)$ such that the extension \hat{x} approximates the segment $x(n)$ as good as possible for a given criterion,

characterised in that

- the extension \hat{x} is defined to:

$$\hat{x} = \sum_{i=1}^L C_i = \sum_{i=1}^L \sum_{j=0}^{J-1} [d'_j f_j(n) \cos(\Theta^i(n)) + e'_j f_j(n) \sin(\Theta^i(n))]$$

5 with

$$\Theta^i(n) = \sum_{k=1}^K \theta_k^i n^k$$

wherein:

- | | | |
|--------------|---|--|
| i | : | represents a component C_i of the extension $\hat{x}(n)$; |
| j, k | : | represent parameters; |
| n | : | represents a discrete time parameter; |
| f_j | : | represents the jth instance out of the set of J linearly independent functions; |
| θ_k^i | : | represents the phase coefficient as one of said sinusoidal data |
| Θ^i | : | is a phase; and |
| d'_j, e'_j | : | represent the linearly involved amplitude values of the components representing parts of said sinusoidal data. |

7. The method according to claim 6, characterised in that $f_j(n) = n^j$.

20 8. The method according to claim 6, characterised in that the frequencies θ_1^i are defined by picking peak frequencies in the frequency domain of the extension \hat{x} .

9. The method according to claim 6, characterised in that for fulfilling the criterion that the weighted squared error between the segment x and the extension \hat{x} is minimized the definition of the optimal amplitudes d'_j and e'_j comprises the steps of:

- determining a plurality of $L \times K$ phase coefficients θ_k^i with $i=1-L$ and $k=1-K$ for all components C_i of the received segment $x(n)$;
- calculating a plurality of L phases $\Theta^i(n)$ with $i=1-L$ from the phase coefficients θ_k^i according to:

$$\Theta'(n) = \sum_{k=1}^K \theta'_k n^k ;$$

- generating a plurality of JxL pairs of patterns p_{ij}^1, p_{ij}^2 for the components Ci with i=1-L according to:

5 $p_{ij}^1 = f_j(n) \cos(\Theta^i(n))$ and $p_{ij}^2 = f_j(n) \sin(\Theta^i(n))$; and

- determining a plurality of JxL amplitudes d'_j and a plurality of JxL amplitudes e'_j for all the pairs of patterns p_{ij}^1, p_{ij}^2 of all components Ci of the extension \hat{x} .

10. The method according to claim 6, characterised in that for fulfilling the criterion that the weighted squared error between the segment x and the extension \hat{x} is minimized the definition of the amplitudes d'_j and e'_j comprises the steps of:

a) setting i= 1

b) $\varepsilon_{i-1} = \varepsilon_0 = x(n)$;

c) determining a plurality of K phase coefficients θ'_k with k=1-K for the component Ci from an input value ε_{i-1} ;

d) calculating the phases Θ^i for the component Ci from said plurality of phase coefficients θ'_k according to:

$$\Theta'(n) = \sum_{k=1}^K \theta'_k n^k$$

e) generating a plurality of 2xJ patterns p_{ij}^1, p_{ij}^2 with

j=0-(J-1) for the component Ci with:

$$p_{ij}^1 = f_j(n) \cos(\Theta^i(n)) \text{ and } p_{ij}^2 = f_j(n) \sin(\Theta^i(n));$$

f) determining a plurality of J amplitudes d'_j and of J amplitudes e'_j for said patterns for the component Ci from the received segment x(n) and from the received plurality of patterns

25 p_{ij}^1, p_{ij}^2 ;

g) constructing the component Ci from said plurality of J pairs of patterns p_{ij} and from the plurality of amplitudes d'_j and e'_j according to:

$$C_i = \sum_{j=0}^{J-1} [d'_j f_j(n) \cos(\Theta'(n)) + e'_j f_j(n) \sin(\Theta'(n))]$$

h) subtracting said component C_i from the input value ε_{i-1} in order to calculate a resulting difference ε_i ;

- 5 i) checking if $i \geq L$ wherein L represents a given number of components ;
 j) if $i < L$ repeat the method steps by starting again from step c) with $i = i+1$; and
 k) if $i \geq L$ the sinusoidal code data of all L components of the extension \hat{x} have been calculated and thus the process has finished.

10 11. A parametric decoder (400) for re-constructing an approximation \hat{s} of an audio or speech signal s from transmitted or restored code data, comprising:

- a selecting unit (420) for selecting sinusoidal code data representing segments \hat{x} of the approximation \hat{s} from said received transmitted or restored code data;
 - a synthesiser (440) for re-constructing said segments \hat{x} from said received sinusoidal code data; and
 - a joining unit (460) for joining consecutive segments \hat{x} to form said approximation \hat{s} of the audio or speech signal s ;

wherein the sinusoidal code data is a plurality of frequency and amplitude values for at least one component of said segment \hat{x} ;

20 characterised in that

- the synthesiser is adapted to re-construct said segments \hat{x} from said sinusoidal code data according to the following formula:

$$\hat{x} = \sum_{i=1}^L C_i = \sum_{i=1}^L \sum_{j=0}^{J-1} [d'_j f_j(n) \cos(\Theta'(n)) + e'_j f_j(n) \sin(\Theta'(n))]$$

with

$$\Theta'(n) = \sum_{k=1}^K \theta'_k n^k$$

wherein:

i : represents a component C_i of the extension $\hat{x}(n)$;

j, k : represent parameters;

n : represents a discrete time parameter;

30 f_j : represents the j th instance out of the set of J linearly

independent functions;

θ_k^i : represents the phase coefficient value as one of said sinusoidal data

Θ^i : is a phase; and

5 d_j^i, e_j^i : represent the linearly involved amplitude values of the components representing parts of said sinusoidal data.

12. Decoding method for reconstructing an approximation \hat{s} of an audio or speech signal s from transmitted or restored code data, comprising the steps of selecting sinusoidal code data representing segments \hat{x} of the approximation \hat{s} from said received transmitted or restored code data;

- re-constructing said segments \hat{x} from said received sinusoidal code data; and

- joining consecutive segments \hat{x} together in order to form said approximation \hat{s} of the audio or speech signal s ;

15 - wherein the sinusoidal code data is a plurality of phase and amplitude values for at least one component of said segment \hat{x} , characterised in that

- in said re-construction step the segments \hat{x} are re-constructed from said sinusoidal code data according to the following formula:

$$\hat{x} = \sum_{i=1}^L Ci = \sum_{i=1}^L \sum_{j=0}^{J-1} [d_j^i f_j(n) \cos(\Theta^i(n)) + e_j^i f_j(n) \sin(\Theta^i(n))]$$

with

$$\Theta^i(n) = \sum_{k=1}^K \theta_k^i n^k$$

wherein:

i : represents a component C_i of the extension $\hat{x}(n)$;

j,k : represent parameters;

n : represents a discrete time parameter;

30 f_j : represents the jth instance out of the set of J linearly independent functions;

θ_k^i : represents the phase coefficient as one of said sinusoidal data
 Θ^i : is a phase; and
 d_j^i, e_j^i : represent the linearly involved amplitude values of the
 components representing parts of said sinusoidal data.

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13. Data stream comprising sinusoidal code data representing segments \hat{x} of an approximation \hat{s} of an audio or speech signal, wherein the sinusoidal code data is a plurality of phase and amplitude values for at least one component of said segment \hat{x} , characterised in that the segment \hat{x} is defined to:

$$10 \quad \hat{x} = \sum_{i=1}^L Ci = \sum_{i=1}^L \sum_{j=0}^{J-1} [d_j^i f_j(n) \cos(\Theta^i(n)) + e_j^i f_j(n) \sin(\Theta^i(n))]$$

with

$$\Theta^i(n) = \sum_{k=1}^K \theta_k^i n^k$$

15 wherein:

i : represents a component Ci of the extension $\hat{x}(n)$;
 j, k : represent parameters;
 n : represents a discrete time parameter;
 f_j : represents the j th instance out of the set of J linearly
 independent functions;

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θ_k^i : represents the phase coefficient as one of said sinusoidal data
 Θ^i : is a phase; and
 d_j^i, e_j^i : represent the linearly involved amplitude values of the
 components representing parts of said sinusoidal data.

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14. Storage medium on which a data stream as claimed in claim 13 has been stored.